

The Coronavirus Stimulus Package: How large is the transfer multiplier?

Christian Bayer (University of Bonn, CEPR, CESifo, IZA)

Benjamin Born (Frankfurt School, CEPR, CESifo)

Ralph Luetticke (University College London, CEPR)

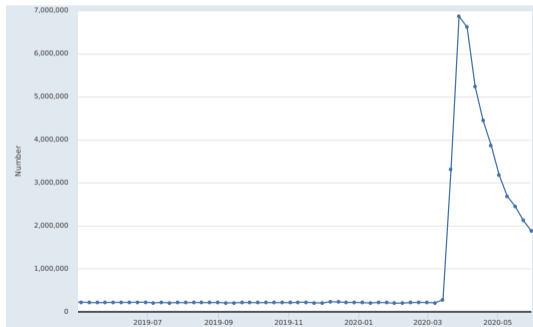
Gernot J. Müller (University of Tübingen, CEPR, CESifo)

Bonn Macro Week

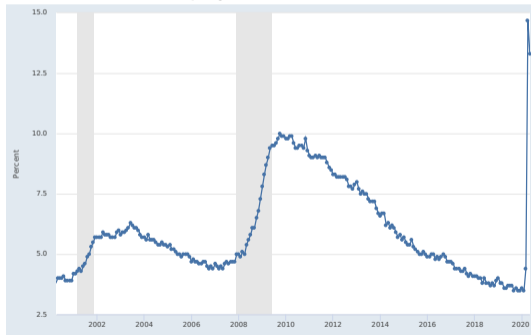
July 2020

COVID-19 pandemic: major increase in household income risk

Unemployment benefits: weekly initial claims 2019–20



Unemployment rate 2000–20



What we do: model economic fallout from COVID-19 as **Q-shock**

Starting in March 2020

- ▶ Fraction of people (and capital) w/o income because of quarantine
- ▶ Fraction of goods becomes unavailable because of lockdown or infection risk

Study dynamics as of February 2020, Q-shock partly anticipated

- ▶ Quarantine creates idiosyncratic income risk & reduces expected income
- ▶ Consumption complementary lowers aggregate demand (Guerrieri et al., 2020)

What we do: quantify transfer multiplier in **CARES Package**

Incomplete markets model

- ▶ Potentially large effects of income risk and
- ▶ differences in marginal consumption propensities across households

Medium-scale HANK model

- ▶ Estimated in Bayer et al. (2020): captures steady-state wealth distribution of the US as well as business cycle dynamics
- ▶ Feed Q-shock and transfers into model:
both conditional (UIB) and unconditional transfers of the CARES package

Model

Model overview

Households		Production Sector	Government
Obtain Income	Trade Assets	Produce and Differentiate Consumption Goods	Monetary Authority, Fiscal Authority
<p>Wages -> set by unions -> s.t. adj. costs -> Idiosyncratic Risk</p> <p>Interest -> from bonds</p> <p>Dividends -> from capital: MPK -> liquid rental market</p> <p>Profits -> as “entrepreneurs”</p>	<p>Bonds ($b > \underline{b}$) = claims on HH debt, + government debt, (nominal, liquid)</p> <p>and</p> <p>Illiquid Assets, k = capital (trading friction)</p>	<p>Intermediate goods producers Rent capital & labor</p> <hr/> <p>Competitive Market for Intermediate Goods</p> <hr/> <p>Entrepreneurs Monopolistic resellers s.t. price adjustment costs</p> <p>Capital goods producers</p>	<p>Policy Rules:</p> <ul style="list-style-type: none"> • Monetary authority sets nominal interest rate -> Taylor rule • Fiscal authority supplies government debt, consumes goods, taxes labor income and profits -> Expenditure Rule -> Tax rule

Worker-Households

- ▶ Productivity h (idiosyncratic and risky)
- ▶ Labor/Leisure Choice
- ▶ Consume
- ▶ Cannot trade state-contingent claims
- ▶ Two Assets: Liquid nominal bond, illiquid capital

Households

- ▶ Households face productivity risk

$$\log h_{it} = \rho_h \log h_{it-1} + \epsilon_{it}^h, \quad \epsilon_{it}^h \sim N(0, \sigma_h)$$

- ▶ Union differentiates labor, driving a wedge between MPL and wages paid to workers.
- ▶ A fraction of households becomes “entrepreneurs” and earns all other pure rents.
Stochastic transition into and out of this state
- ▶ A random fraction λ of households participates in the market for illiquid capital
- ▶ A random fraction of households transits into “quarantine”: cannot supply labor

Household Planning Problem

- ▶ GHH preferences with constant Frisch elasticity:
 \implies representative labor supply of the non-quarantined N_t .
- ▶ Budget equation:

$$\begin{aligned}
 c_{it} + b_{it+1} + q_t k_{it+1} &= b_{it} \frac{R(b_{it}, R_t^b)}{\pi_t} + (q_t + r_t) k_{it} + \mathcal{T}_t(h_{it}) \\
 &\quad + (1 - \tau_t) [(1 - Q_{it}) h_{it} w_t N_t + Q_{it} \mathcal{R}(h_{it}) h_{it} w_t N_t + \mathbb{I}_{h_{it} \neq 0} \Pi_t^U + \mathbb{I}_{h_{it} = 0} \Pi_t^F], \\
 k_{it+1} &\geq 0, \quad b_{it+1} \geq \underline{B}
 \end{aligned}$$

Household Planning Problem

- ▶ GHH preferences with constant Frisch elasticity:
 \implies representative labor supply of the non-quarantined N_t .
- ▶ Budget equation:
- ▶ Bellman equation:

$$V_t^a(b, k, h, Q) = \max_{k', b'_a} u[x(b, b'_a, k, k', h, Q)] + \beta \mathbb{E}_t V_{t+1}(b'_a, k', h', Q')$$

$$V_t^n(b, k, h, Q) = \max_{b'_n} u[x(b, b'_n, k, k, h, Q)] + \beta \mathbb{E}_t V_{t+1}(b'_n, k, h', Q')$$

$$\mathbb{E}_t V_{t+1}(b', k', h', Q') = \mathbb{E}_t [\lambda V_{t+1}^a(b', k', h', Q')] + \mathbb{E}_t [(1 - \lambda) V_{t+1}^n(b', k, h', Q')]$$

Quarantine affects also capital and product varieties

Fraction of workers affected by quarantine

- ▶ Effective labor supply $H_t = \int (1 - Q_{it}) h_{it} di$ (Normalize SS: $H = 1$)

Same fraction of capital is moved to quarantine

- ▶ without being able to redistribute capital to non-quarantined workers
- ▶ effective capital in production: $u_t * H_t * K_t$, where u_t is utilization

Loss in varieties decreases effective productivity further

- ▶ Fraction $1 - \Psi_t$ of varieties not available
- ▶ Total production: $Y_t = \Psi_t^{\frac{1}{\sigma-1}} H_t Y_t^F$, where $\Psi_t^{\frac{1}{\sigma-1}}$ captures love for variety in preferences

Embedded in an otherwise almost standard NK model

- ▶ Factor prices (for non-quarantined workers and capital) equal marginal products

$$w_t^F = \alpha m c_t \left(\frac{u_t K_t}{N_t} \right)^{1-\alpha},$$

$$r_t^F = u_t (1 - \alpha) m c_t \left(\frac{N_t}{u_t K_t} \right)^\alpha - q_t^F \delta(u_t),$$

$$\delta(u_t) = \delta_0 + \delta_1 (u_t - 1) + \delta_2 / 2 (u_t - 1)^2$$

Embedded in an otherwise almost standard NK model

- ▶ Factor prices (for non-quarantined workers and capital) equal marginal products
- ▶ Dividend paid to capital owners:

$$r_t = r_t^F H_t - (1 - H_t)(\delta_0 - \delta_1 + \delta_2/2)$$

Embedded in an otherwise almost standard NK model

- ▶ Factor prices (for non-quarantined workers and capital) equal marginal products
- ▶ Capital Price equals cost of production of capital

$$1 = q_t \left[1 - \frac{\phi}{2} \left(\frac{l_t}{l_{t-1}} - 1 \right)^2 - \phi \left(\frac{l_t}{l_{t-1}} - 1 \right) \frac{l_t}{l_{t-1}} \right] + \beta q_{t+1} \phi \left(\frac{l_{t+1}}{l_t} - 1 \right) \left(\frac{l_{t+1}}{l_t} \right)^2$$

Embedded in an otherwise standard NK model

- ▶ Phillips Curve under Calvo (1983) with indexation

$$\log \left(\frac{\pi_t^F}{\bar{\pi}} \right) = \beta \mathbb{E}_t \log \left(\frac{\pi_{t+1}^F}{\bar{\pi}} \right) + \kappa_Y \left(mc_t / \Psi_t^{\frac{1}{\eta_S - 1}} - \frac{1}{\mu^Y} \right),$$

- ▶ π_t^F is the gross inflation rate of the average price of final goods
- ▶ P_t , the ideal price index, then exhibits an inflation rate $\pi_t = \pi_t^F \left(\frac{\Psi_{t-1}}{\Psi_t} \right)^{\frac{1}{\eta_S - 1}}$.

Embedded in an otherwise standard NK model

- ▶ Wage Phillips Curve under Calvo (1983) with indexation

$$\log \left(\frac{\pi_t^W}{\bar{\pi}^W} \right) = \beta \mathbb{E}_t \log \left(\frac{\pi_{t+1}^W}{\bar{\pi}^W} \right) + \kappa_w \left(\frac{w_t}{w_t^F} - \frac{1}{\mu^W} \right),$$

Government

Fiscal Policy

The government follows simple rules

- ▶ for government spending that reacts to government debt:

$$\frac{G_t}{\bar{G}} = \left(\frac{G_t}{\bar{G}} \right)^{\rho_G} \left(\frac{B_t}{\bar{B}} \right)^{(1-\rho_G)\gamma_B^G}, \quad (1)$$

where γ_B^G determines the degree of debt stabilization.

Government

Fiscal Policy

The government follows simple rules

- ▶ for government spending that reacts to government debt:
- ▶ and similarly for taxes:

$$\frac{\tau_t}{\bar{\tau}} = \left(\frac{\tau_t}{\bar{\tau}} \right)^{\rho_\tau} \left(\frac{B_t}{\bar{B}} \right)^{(1-\rho_\tau)\gamma_B} \quad (1)$$

Government

Debt

- ▶ Government debt determined by government budget constraint

$$B_{t+1} = G_t + \mathcal{T}_t + \mathcal{R}_t - T_t + R_t^b B_t / \pi_t ,$$

- ▶ where $T_t = \tau(N_t w_t + \Pi_t^U + \Pi_t^F)$
- ▶ and \mathcal{T}_t and \mathcal{R}_t are untargeted and targeted transfers

Calibration

Calibration

Liquidity and wealth

Table: Calibrated parameters (annual)

Targets	Model	Data	Source	Parameter
Mean illiquid assets (K/Y)	2.85	2.86	NIPA	Discount factor
Mean liquidity (B/Y)	0.55	0.56	FRED	Port. adj. probability
Top-10 wealth share	0.67	0.67	WID	Fraction of entrepreneurs
Fraction borrowers	0.14	0.16	SCF	Borrowing penalty

Calibration: Households

Table: External/calibrated parameters (monthly frequency)

Parameter	Value	Description	Target
β	0.993	Discount factor	see Table 1
ξ	4	Relative risk aversion	Kaplan et al. (2018)
γ	2	Inverse of Frisch elasticity	Chetty et al. (2011)
λ	0.055	Portfolio adj. prob.	see Table 1
ρ_h	0.993	Persistence labor income	Storesletten et al. (2004)
σ_h	0.069	STD labor income	Storesletten et al. (2004)
ζ	0.0002	Trans. prob. from W. to E.	see Table 1
ι	0.024	Trans. prob. from E. to W.	Guvenen et al. (2014)
p_{ss}^{in}	0.0002	Trans. prob. into Q	see text
p^{out}	0.5	Trans. prob. out of Q	see text
\bar{R}	1.95%	Borrowing penalty	see Table 1

Calibration: Firms

Table: External/calibrated parameters (monthly frequency)

Parameter	Value	Description	Target
α	0.68	Share of labor	62% labor income
δ_0	0.717%	Depreciation rate	Standard value
$\bar{\eta}$	11	Elasticity of substitution (goods)	Price markup 10%
$\bar{\eta}^S$	3	Elasticity of substitution (sectors)	See text
$\bar{\zeta}$	11	Elasticity of substitution	Wage markup 10%
Government			
$\bar{\tau}^L$	0.2	Tax rate level	$G/Y = 15\%$
\bar{R}^b	1.004	Nominal rate	1.6% p.a.
$\bar{\pi}$	1.00	Inflation	0% p.a.

Parameters: Estimated in Bayer et al. (2020)

Table: Aggregate frictions and policy rules

Real frictions				Nominal frictions			
δ_s	1.483	ϕ	2.093	κ	0.009	κ_w	0.011
Government spending				Taxes			
ρ_G	0.965	γ_B^G	-0.100	ρ_τ	0.965	γ_B^τ	-0.400
Monetary policy							
ρ_R	0.965	θ_π	1.500				

Solution

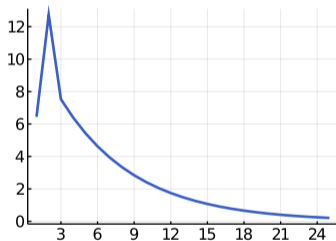
All IRFs obtained by linearization

- ▶ Using the method of Bayer/Luetticke, 2018.

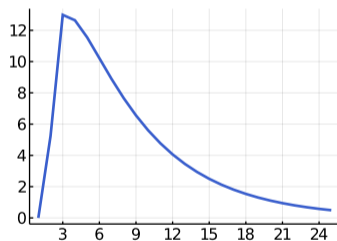
To obtain the effect of conditional transfer

- ▶ Linearize around two almost identical steady states:
one with high transfer in Q-state, one with low transfer

Percent of workers, capital, and goods under quarantine

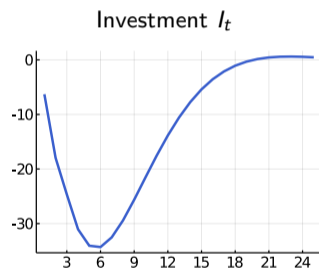
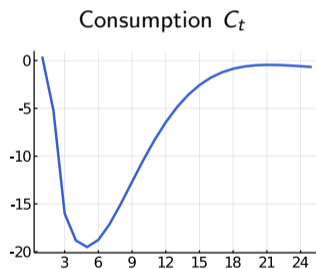
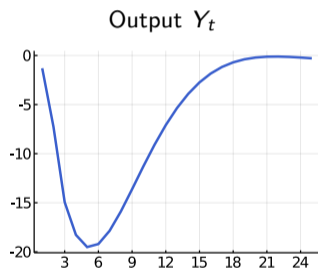


(a) Flow



(b) Stock

Macroeconomic adjustment to Q-shock

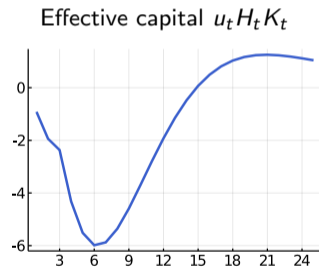
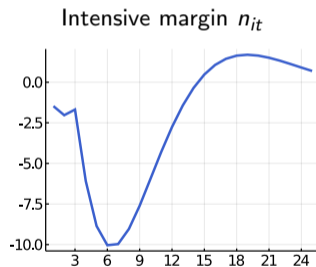
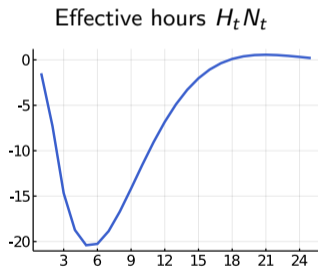


Y-axis: Percent deviation from steady state. X-axis: Months.

▶ Equal incidence

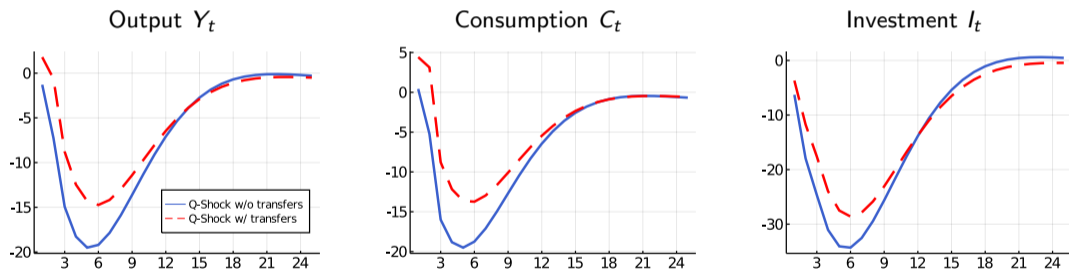
▶ No loss of varieties

Macroeconomic adjustment to Q-shock



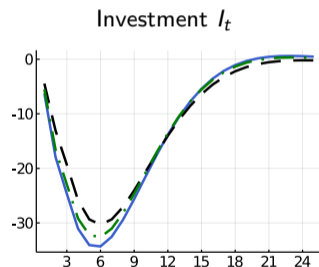
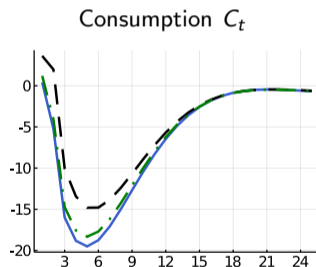
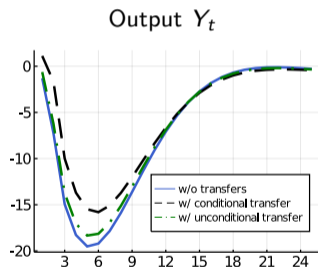
Y-axis: Percent deviation from steady state. X-axis: Months.

Baseline Q-Shock and fiscal transfers under CARES



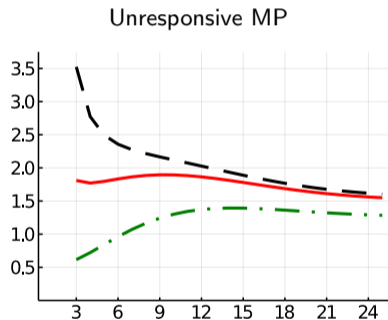
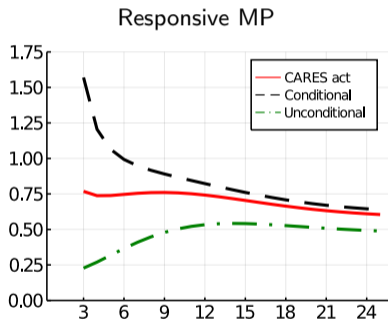
Y-axis: percent deviations from steady state. X-axis: Months.

Conditional transfer does most of the trick



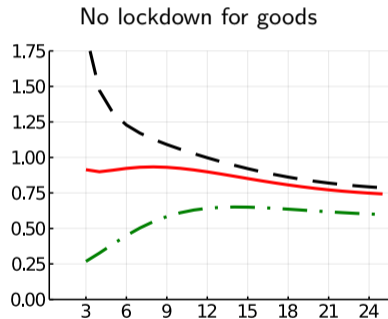
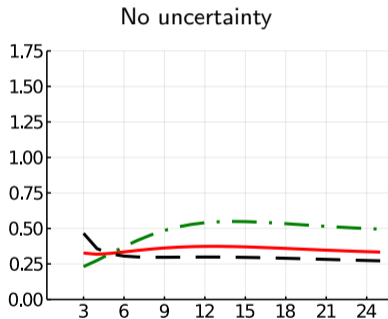
Y-axis: Percent deviation from steady state. X-axis: Months.

Cumulative Transfer Multiplier



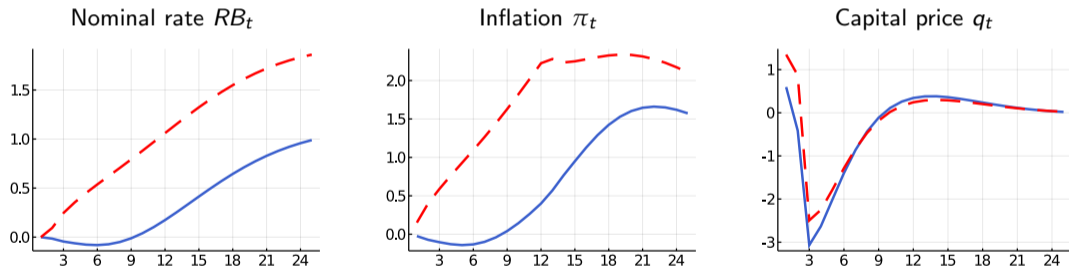
Cumulative multiplier: $\sum_{j=1}^k y_i / \sum_{j=1}^k t_i$

Cumulative Transfer Multiplier



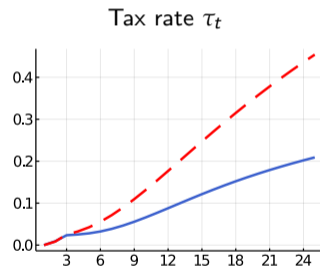
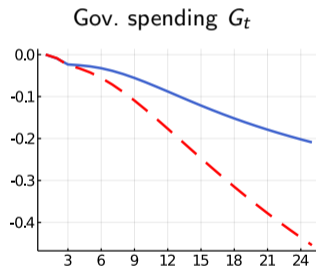
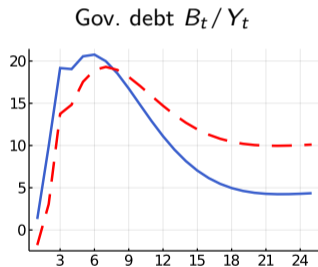
Cumulative multiplier: $\sum_{j=1}^k y_i / \sum_{j=1}^k t_i$

Baseline Q-Shock and fiscal transfers under CARES



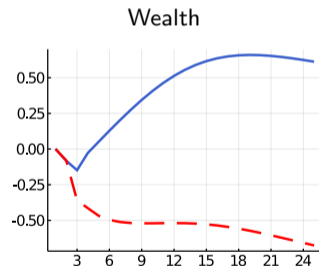
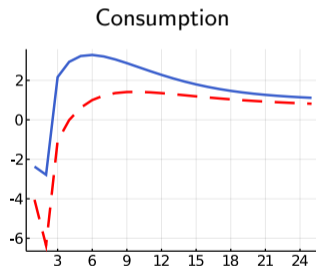
Y-axis: quantities reported in percent deviations from steady state, prices in annualized percentage points. Inflation is computed year on year. X-axis: Months.

Baseline Q-Shock and fiscal transfers under CARES



Notes: Y-axis: All quantities are reported in percent deviations from steady state. All prices are reported in annualized percentage points from steady state. X-axis: Months.

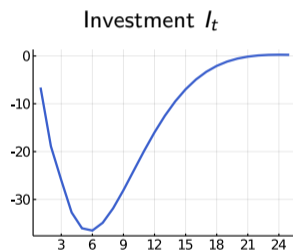
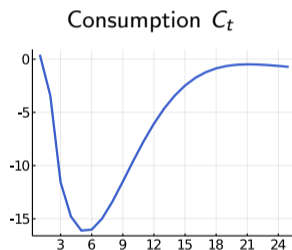
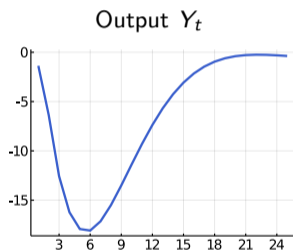
Inequality: response of Gini coefficients



Y-axis: Quarterly percent deviation from steady state. X-axis: Quarters.

Backup Slides

Uncertainty channel: consumption and investment



Y-axis: percentage deviations from steady state. X-axis: Months.

Bibliography IV

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